Experiment 9
Acid-Base Equilibria

CH204
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Last Week

Heat in chemical reactions:

heat is a measurable quantity
produced and consumed in stoichiometric amounts

Heat Capacity:

how much heat is required to raise the temperature of something by one degree Celsius (or 1 Kelvin)

Specific Heat Capacities (J/gK):

Lead 0.128 Iron 0.449 Water 4.184

This week

Weak acid titration.

Determine K_a of acetic acid by a couple different methods.

Witness the awesome power of a buffer solution to resist changes in pH.

Non-Equilibrium Reaction

Reaction goes to completion.

$HCl \rightarrow H^+ + Cl^-$

$KNO_3 \rightarrow K^+ + NO_3^-$

$CH_4 + 2O_2 \rightarrow CO_2 + 2H_2O$

Equilibrium Reaction

Products react with each other to re-form the reactants.

$PbSO_4 \rightleftarrows Pb^{2+} + SO_4^{2-}$

$CH_3COOH \rightleftarrows CH_3COO^- + H^+$

$N_{2(g)} + 3H_{2(g)} \rightleftarrows 2\,NH_{3(g)}$

Equilibrium Ecksprеshin

For any equilibrium reaction,

$aA + bB \rightleftarrows cC + dD$

$$K_{eq} = \frac{\text{products}}{\text{reactants}} = \frac{[C]^c[D]^d}{[A]^a[B]^b}$$

For a weak acid dissociation,

$HA \rightleftarrows H^+ + A^-$

$$K_a = \frac{[H^+][A^-]}{[HA]}$$

Two Ecksepshins

Don't include *liquids* or *solids* in equilibrium expressions.

$PbSO_{4(s)} \rightleftarrows Pb^{2+} + SO_4^{2-}$

$K_{sp} = [Pb^{2+}][SO_4^{2-}]$

$H_2O_{(\ell)} \rightleftarrows H^+ + OH^-$

$K_w = [H^+][OH^-]$

Strong Acids

H_2SO_4 HNO_3 HCl HBr $HClO_3$ $HClO_4$ HI

Weak Acids

All the rest!

CH_3COOH R-COOH H_3PO_4 HF NH_4^+

"HA"

pH of weak acids

What is the pH of a 0.1M solution of acetic acid?

$CH_3COOH \rightleftarrows CH_3COO^- + H^+$

	CH_3COOH	CH_3COO^-	H^+
initial	0.1	0	0
equilibrium	0.1 – x	x	x

Dissociation of acetic acid

	CH_3COOH	CH_3COO^-	H^+
initial	0.1	0	0
equilibrium	0.1 – x	x	x

$$K_a = \frac{[H^+][A^-]}{[HA]} = \frac{[x]\,[x]}{[0.1 - x]}$$

Assume $x << 0.1$ M

$x^2 = 0.1K_a$

$X^2/0.1 = K_a$

Four-Part Lab

1) **Calibrate pH meter**

Make sure you're in CALIBRATION mode.

Calibrate the pH meter in the order in the lab manual: **pH 7** first, then **pH 4**, then **pH 10**.

Press ENTER or CON to confirm calibration.

Last Two Titrations of Your Life

2) **Titrate 25 ml of 0.1 M acetic acid using 0.1 M NaOH**

DO NOT add water! No indicator this time. Use a beaker, not a flask, because you need room for the pH electrode.

Record pH after the addition of every 1.0 ml of NaOH at first, and as the pH begins to change more quickly, record smaller volume increments, down to 0.2 or 0.1 ml. Try to catch points on the vertical portion of the graph.

Switch roles with your lab partner and repeat the titration a second time.

Graph pH versus ml added in Excel.

At the Equivalence Point

All of the HA has been reacted away.

If the solution was initially 0.1M acetic acid, it is now 0.05 M acetate

At the half-equivalence point, half of the HA has been reacted away, and the HA and A^- concentrations are equal.

Half-Equivalence Point

At the half-equivalence point, $[HA] = [A^-]$.

$$K_a = \frac{[H^+][A^-]}{[HA]}$$

$$-\log K_a = -\log[H^+] + -\log \frac{[A^-]}{[HA]}$$

$$pK_a = pH - \log \frac{[A^-]}{[HA]}$$

$\log(1) = 0$, so when $[A^-] = [HA]$, $pH = pK_a$

A Short-Cut to K_a

3) **Measure the pH of 1.5 M acetic acid and two buffer solutions**

Use measured $[H^+]$ and known acetic acid and acetate concentrations to calculate K_a

Deja Vu

	CH_3COOH	CH_3COO^-	H^+
initial	1.5	0	0
equilibrium	1.5 – x	x	x

$$K_a = \frac{[H^+][A^-]}{[HA]} = \frac{[x]\,[x]}{[1.5 - x]}$$

Assume x << 1.5 M

$x^2 = 1.5K_a$

$X^2/1.5 = K_a$

And Finally...

4) Add strong acid & base to buffers and to water and compare the changes in pH.

pH meters need love, too

Glass bulb is very thin

Remove carefully from storage bottle – turn the bottle, not the cap

Rinse well between samples

Dab, don't wipe

Swish samples to get better reading